## Radboud University

## Post-quantum crypto on ARM Cortex-M

Peter Schwabe<br>peter@cryptojedi.org<br>https://cryptojedi.org<br>January 23, 2019

- Project funded by EU in Horizon 2020.
- Running from March 2015 until February 2018
- 11 partners from academia and industry, TU/e was coordinator
- 22 submissions to NIST PQC project

TU/e
DTU
 $\because$



TECHNISCHE UNIVERSITAT DARMSTADT

- Find post-quantum secure cryptosystems suitable for small devices in power and memory requirements (e.g. smart cards with 8-bit or 16-bit or 32-bit architectures, with different amounts of RAM)
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- McEliece (code-based encryption): $\approx 1 \mathrm{MB}$ public key
- GUI (MQ-based signatures) $\approx 2$ MB public key
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- SPHINCS ${ }^{+}$: 8-50 KB signatures
- Additional challenges:
- Computational complexity
- Implementation security


## Primary target platform



- ARM Cortex-M4 on STM32F4-Discovery board
- 192KB RAM, 1MB Flash (ROM)
- Available for $<20$ Euros from various vendors (e.g., Amazon, RS Components, Conrad)
- Joint work with Matthias Kannwischer, Joost Rijneveld, and Ko Stoffelen.
- Library and testing/benchmarking framework
- Easy to add schemes using NIST API
- Optimized SHA3 shared across primitives
- Joint work with


## Matthias Kannwischer, Joost Rijneveld, and Ko Stoffelen.

- Library and testing/benchmarking framework
- Easy to add schemes using NIST API
- Optimized SHA3 shared across primitives
- Run functional tests of all primitives and implementations:
python3 test.py
- Generate testvectors, compare for consistency (also with host): python3 testvectors.py
- Run speed and stack benchmarks: python3 benchmarks.py
- Easy to evaluate only subset of schemes, e.g.:
python3 test.py newhope1024cca sphincs-shake256-128s


## Initial pqm4 results KEM/PKE

BIG QUAKE ..... ?
BIKE ..... ?
Classic McEliece ..... $x$
CRYSTALS-KyberFrodoKEMKINDINewHopeNTRU-HRSS-KEMNTRU PrimePost-quantum RSA-EncryptionRamstakeSABERSIKE
DAGS

## Initial pqm4 results signatures

CRYSTALS-Dilithium
GUI
LUOV
MQDSS
Picnic
Post-quantum RSA-Signature qTESLA
Rainbow SPHINCS+

- Since October 2018 working on ERC project Engineering post-quantum cryptography - EPOQUE
- WP1: Secure implementations of post-quantum crypto
- Build on results of PQCRYPTO, e.g., extend pqm4:
- Include more optimized implementations
- Include implementations with SCA protection
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- First paper of EPOQUE:

Matthias Kannwischer, Joost Rijneveld, Peter Schwabe. Faster multiplication in $\mathbb{Z}_{2^{m}}[x]$ on Cortex-M4 to speed up NIST PQC candidates.

- Speed up 5 lattice-based KEMs


## Learning with errors (LWE)

- Given uniform $\mathbf{A} \in \mathbb{Z}_{q}^{k \times \ell}$
- Given "noise distribution" $\chi$
- Given samples As $+\mathbf{e}$, with $\mathbf{e} \leftarrow \chi$


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| Alice (server) |  | Bob (client) |
| :--- | :--- | :--- |
| $\mathbf{s}, \mathbf{e}{ }^{s} \chi$ |  | $\mathbf{s}^{\prime}, \mathbf{e}^{\prime} \leftarrow^{s} \chi$ |
| $\mathbf{b} \leftarrow \mathbf{a s}+\mathbf{e}$ | $\underset{\mathbf{b}}{\leftrightarrows}$ | $\mathbf{u} \leftarrow \mathbf{a s}^{\prime}+\mathbf{e}^{\prime}$ |
|  | $\longleftarrow$ |  |

Alice has $\mathbf{v}=\mathbf{u s}=$ ass $^{\prime}+\mathbf{e}^{\prime} \mathbf{s}$
Bob has $\mathbf{v}^{\prime}=\mathbf{b s}^{\prime}=\mathbf{a s s}^{\prime}+\mathbf{e s}^{\prime}$

- Secret and noise $\mathbf{s}, \mathbf{s}^{\prime}, \mathbf{e}, \mathbf{e}^{\prime}$ are small
- $\mathbf{t}$ and $\mathbf{t}^{\prime}$ are approximately the same


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- All rely on arithmetic in $\mathbb{Z}_{2^{m}}[x] / f$
- $11 \leq m \leq 14$
- $256 \leq n=\operatorname{deg}(f) \leq 1024$
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- Why optimize those 5 KEMs?
- Have to start somewhere...
- Joost and I are co-submitters of NTRU-HRSS
- It seemed like NTRU-HRSS could be faster than Round5
- Only Saber has been optimized on Cortex-M4 before (CHES 2018)
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- How to optimize those 5 KEMs?
- Faster multiplication of polynomials with $n$ coefficients over $\mathbb{Z}_{2^{m}}[x]$


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- Can do better using Karatsuba:

$$
\begin{aligned}
& \left(a_{\ell}+X^{k} a_{h}\right) \cdot\left(b_{\ell}+X^{k} b_{h}\right) \\
= & a_{\ell} b_{\ell}+X^{k}\left(a_{\ell} b_{h}+a_{h} b_{\ell}\right)+X^{n} a_{h} b_{h} \\
= & a_{\ell} b_{\ell}+X^{k}\left(\left(a_{\ell}+a_{h}\right)\left(b_{\ell}+b_{h}\right)-a_{\ell} b_{\ell}-a_{h} b_{h}\right)+X^{n} a_{h} b_{h}
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- Generalization: Toom-Cook
- Toom-3: split into 5 multiplications of $1 / 3$ size
- Toom-4: split into 7 multiplications of $1 / 4$ size
- Approach: Evaluate, multiply, interpolate


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- Optimize Saber, $q=2^{13}, n=256$
- Use Toom-4 + two levels of Karatsuba
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- Optimized 16 -coefficient schoolbook multiplication
- Is this the best approach? How about other values of $q$ and $n$ ?


## 



## Our approach

- Generate optimized assembly for Karatsuba/Toom
- Use Python scripts, receive as input $n$ and $q$
- Hand-optimize "small" schoolbook multiplications
- Benchmark different options, pick fastest


## Fast schoolbook multiplication

- ARMv7E-M supports SMUAD(X) and SMLAD(X)
- All in one clock cycle
- Perfect for polynomial multiplication

| instruction | semantics |
| :---: | :---: |
| smuad $\mathrm{Ra}, \mathrm{Rb}, \mathrm{Rc}$ <br> smuadx $\mathrm{Ra}, \mathrm{Rb}, \mathrm{Rc}$ <br> smlad Ra, Rb, Rc, Rd <br> smladx Ra, Rb, Rc, Rd |  |

Slide credit to Matthias Kannwischer

## Fast schoolbook multiplication [ $\mathrm{N}=2$ ]



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## Fast schoolbook multiplication [ $\mathrm{N}=2$ ]



- 3 multiplications instead of 4

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## Fast schoolbook multiplication [ $\mathrm{N}=4$ ]



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## Fast schoolbook multiplication [ $\mathrm{N}=4$ ]



- 10 multiplications instead of 16

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## Fast schoolbook multiplication $[\mathrm{N}=6]$



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## Fast schoolbook multiplication [ $\mathrm{N}=6$ ]



- 21 multiplications instead of 36

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## Fast schoolbook multiplication [ $\mathrm{N}=12$ ]



- How many can we fit in registers?
- 16 registers minus SP and PC $\rightarrow$ we fit 24 coefficients

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## Fast schoolbook multiplication [ $\mathrm{N}=12$ ]



- How many can we fit in registers?
- 16 registers minus SP and PC $\rightarrow$ we fit 24 coefficients
- 78 multiplications instead of 144

Slide credit to Matthias Kannwischer

## Fast schoolbook multiplication [ $\mathrm{N}=24$ ]



Slide credit to Matthias Kannwischer

## Fast schoolbook multiplication [ $\mathrm{N}=24$ ]



- We want to merge all, but not enough registers

Slide credit to Matthias Kannwischer


- Instead we perform 4 times $12 \times 12$

Slide credit to Matthias Kannwischer


- Or 9 times $12 \times 12$

Slide credit to Matthias Kannwischer

## Fast schoolbook multiplication: Reduce repacks



- $R 0=a_{1}\left|a_{0}, R 1=a_{3}\right| a_{2}, R 2=a_{5} \mid a_{4}$
- $R 3=b_{1}\left|b_{0}, R 4=b_{3}\right| b_{2}, R 5=b_{5} \mid b_{4}$

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- $R 3=b_{1}\left|b_{0}, R 4=b_{3}\right| b_{2}, R 5=b_{5} \mid b_{4}$
- For even columns we need to repack b

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- $R 3=b_{1}\left|b_{0}, R 4=b_{3}\right| b_{2}, R 5=b_{5} \mid b_{4}$
- First do odd columns

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## Fast schoolbook multiplication: Reduce repacks



- $R 0=a_{1}\left|a_{0}, R 1=a_{3}\right| a_{2}, R 2=a_{5} \mid a_{4}$
- Then repack to $R 3=b_{2}\left|b_{1}, R 4=b_{4}\right| b_{3}$ and do even columns

Slide credit to Matthias Kannwischer

## Multiplication results

|  | approach | "small" | cycles | stack |
| :---: | :---: | :---: | :---: | :---: |
| Saber$\left(n=256, q=2^{13}\right)$ | Karatsuba only | 16 | 41121 | 2020 |
|  | Toom-3 | 11 | 41225 | 3480 |
|  | Toom-4 | 16 | 39124 | 3800 |
|  | Toom-4 + Toom-3 | - | - | - |
| Kindi-256-3-4-2$\left(n=256, q=2^{14}\right)$ | Karatsuba only | 16 | 41121 | 2020 |
|  | Toom-3 | 11 | 41225 | 3480 |
|  | Toom-4 | - | - | - |
|  | Toom-4 + Toom-3 | - | - | - |
| NTRU-HRSS$\left(n=701, q=2^{13}\right)$ | Karatsuba only | 11 | 230132 | 5676 |
|  | Toom-3 | 15 | 217436 | 9384 |
|  | Toom-4 | 11 | 182129 | 10596 |
|  | Toom-4 + Toom-3 | - | - | - |
| NTRU-KEM-743$\left(n=743, q=2^{11}\right)$ | Karatsuba only | 12 | 247489 | 6012 |
|  | Toom-3 | 16 | 219061 | 9920 |
|  | Toom-4 | 12 | 196940 | 11208 |
|  | Toom-4 + Toom-3 | 16 | 197227 | 12152 |
| $\begin{aligned} & \text { RLizard-1024 } \\ & (n=1024 \\ & \left.q=2^{11}\right) \end{aligned}$ | Karatsuba only | 16 | 400810 | 8188 |
|  | Toom-3 | 11 | 360589 | 13756 |
|  | Toom-4 | 16 | 313744 | 15344 |
|  | Toom-4 + Toom-3 | 11 | 315788 | 16816 |

## Anything else to do?

- Integrate with fast SHA-3/SHAKE implementation
- Add fast SHA-512 implementation (C as fast as asm!)
- Between $69 \%$ and $92 \%$ of cycles spent in mul+hash


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NISTPQC code quality...

- Fix misunderstandings of NIST API
- Remove all dynamic memory allocations
- Fix some obvious timing leakages
- More work required, for many NIST submissions!


## KEM results

|  | implementation | clock cycles |  | stack usage |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Saber | Reference | K: | $6530 k$ | K: | 12616 |
|  |  | E: | 8684k | E: | 14896 |
|  |  | D: | $10581 k$ | D: | 15992 |
|  | [KBSV18] | K: | 1147k | K: | 13883 |
|  |  | E: | 1444k | E: | 16667 |
|  |  | D: | 1543k | D: | 17763 |
|  | This work | K: | 949k | K: | 13248 |
|  |  | E: | $1232 k$ | E: | 15528 |
|  |  | D: | 1260k | D: | 16624 |
| Kindi-256-3-4-2 | Reference | K: | $21794 k$ | K: | 59864 |
|  |  | E: | $28176 k$ | E: | 71000 |
|  |  | D: | $37129 k$ | D: | 84096 |
|  | This work | K: | 1010k | K: | 44264 |
|  |  | E: | 1365 k | E: | 55392 |
|  |  | D: | 1563k | D: | 64376 |

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| :---: | :---: | :---: | :---: | :---: | :---: |
| NTRU-HRSS | Reference | K: | $\begin{array}{r} 205156 k \\ 5166 k \\ 15067 k \end{array}$ | K: | $\begin{array}{r} 10020 \\ 8956 \\ 10204 \\ \hline \end{array}$ |
|  | This work | E: | $\begin{array}{r} 161790 k \\ 432 k \\ 863 k \end{array}$ | K: | $\begin{aligned} & 23396 \\ & 19492 \\ & 22140 \end{aligned}$ |
| NTRU-KEM-743 | Reference | E: | $\begin{array}{r} 59815 k \\ 7540 k \\ 14229 k \\ \hline \end{array}$ | K: | $\begin{aligned} & 14148 \\ & 13372 \\ & 18036 \\ & \hline \end{aligned}$ |
|  | This work | K: | $\begin{aligned} & 5663 k \\ & 1655 k \\ & 1904 k \end{aligned}$ | K: | $\begin{aligned} & 25320 \\ & 23808 \\ & 28472 \end{aligned}$ |
| RLizard-1024 | Reference | K: | $26423 k$ 32 156k <br> $53181 k$ | K: | $\begin{array}{r} 4272 \\ 10532 \\ 12636 \end{array}$ |
|  | This work | K: | $537 k$ $1358 k$ $1740 k$ | K: | $\begin{aligned} & 27720 \\ & 33328 \\ & 35448 \end{aligned}$ |

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- Examples of what you actually want to do:
- Use in libraries (e.g., liboqs or libpqcrypto)
- Benchmark (e.g., SUPERCOP)
- Evaluate on embedded platforms (e.g., pqm4)
- Use in higher-level protocols (e.g., OQS)


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- Use in higher-level protocols (e.g., OQS)
- Idea: collect "clean" implementations once
- Joint work with

Matthias Kannwischer, Joost Rijneveld, Douglas Stebila, Thom Wiggers

- GitHub repo with extensive Cl to ensure "clean" implementations
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## Matthias Kannwischer, Joost Rijneveld, Douglas Stebila,

 Thom Wiggers- GitHub repo with extensive Cl to ensure "clean" implementations
- Goal: eventually have all round-2 candidates in there
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- implementations in other languages?
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- implementations in other languages?
- At the moment still setting up Cl
- Hope to be done soon, then PRs very welcome!


## Automatically checked by Cl

- Code is valid C99
- Passes functional tests
- API functions do not write outside provided buffers
- Compiles with -Wall -Wextra -Wpedantic -Werror with gcc and clang
- Consistent test vectors across runs
- Consistent test vectors on big-endian and little-endian machines
- Consistent test vectors on 32 -bit and 64 -bit machines


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- Consistent test vectors across runs
- Consistent test vectors on big-endian and little-endian machines
- Consistent test vectors on 32 -bit and 64 -bit machines
- No errors/warnings reported by valgrind
- No errors/warnings reported by address sanitizer
- Only dependencies:
- fips202.c
- sha2.c
- aes.c
- randombytes.c


## The definition of "clean" ctd.

## Automatically checked by Cl

- API functions return 0 on success, negative on failure (WIP!)
- 0 on success
- Negative on failure (currently: partially)
- No dynamic memory allocations
- No branching on secret data (dynamically checked using valgrind)
- No access to secret memory locations (dynamically checked using valgrind)


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- No dynamic memory allocations
- No branching on secret data (dynamically checked using valgrind)
- No access to secret memory locations (dynamically checked using valgrind)
- Separate subdirectories (without symlinks) for each parameter set of each scheme
- Builds under Linux, MacOS, and Windows
- All exported symbols are namespaced with PQCLEAN_SCHEMENAME_
- Each implementation comes with license and meta information in META.yml


## Manually checked

- \#ifdefs only for header encapsulation
- No stringification macros
- Output-parameter pointers in functions are on the left
- const arguments are labeled as const
- All exported symbols are namespaced inplace
- All integer types are of fixed size, using stdint.h types (including uint8_t instead of unsigned char)
- Integers used for indexing are of type size_t
- Variable declarations at the beginning (except in for (size_t i=...))
- pqm4 library and benchmarking suite: https://github.com/mupq/pqm4
- Code of $\mathbb{Z}_{2^{m}}[x]$ multiplication paper, including scripts: https://github.com/mupq/polymul-z2mx-m4
- $\mathbb{Z}_{2^{m}}[x]$ multiplication paper:
https://cryptojedi.org/papers/\#latticem4
- PQClean repository:
https://github.com/PQClean/PQClean

